

Sample size solutions for $N = 1$ intensive longitudinal designs

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Table of contents

Settings things up	1
Description	2
Data exploration	3
Data structure	3
Descriptive statistics and visualizations	6
Data preparation	13
Estimating AR(1) for PA	14
Estimating VAR(1) for PA and NA	14
Estimating VAR(1) model for NA, PA and anhedonia	16
Running the Shiny application	19
Power analysis for VAR(1) with three variables	19
Power analysis result	19
Sensitivity analysis for power: varying parameters	19
Sensitivity analysis for power: using CI	20
PAA for VAR(1) with three variables	22
PAA result	22
Sensitivity analysis for power: varying parameters	22
Session information	24
References	25

Settings things up

Before we proceed, we need to ensure we have several packages installed and loaded into our R session. For the scripts below, we will use the following packages:

- `data.table`

- [psych](#)
- [tidyverse](#)
- [MASS](#)

Which we can install in one go as follows:

```
# Prepare the package list.
packages = c("data.table", "psych", "tidyverse", "MASS")

# Install packages.
install.packages(packages)
```

Tip

You may consider first checking if the packages are installed before actually installing them. Nevertheless, the code above will not reinstall packages that are already installed and up-to-date.

Now that we have all packages installed, we continue by loading them.

```
# To create lagged outcome variables.
library(data.table)

# To compute descriptive statistics.
library(psych)

# A useful package.
library(tidyverse)

# Handy functions for data analysis.
library(MASS)

# Set a seed for reproducibility.
set.seed(123)
```

Description

In this tutorial, we use data from Heininga et al. (2019). In this study, the authors applied the ESM methodology to study emotion dynamics in people with *Major Depressive Disorder* (MDD). The study consist of an ESM testing period of seven days in which participants had to fill out questions about mood and social context on their daily lives ten times a day (i.e., 70 measurement occasions). The data set contains 38 participants diagnosed with MDD and 40

control subjects. Participants filled out the ESM questionnaires in a stratified random interval scheme between 9:30 AM and 9:30 PM.

First, we are going to load the data set:

```
# Load the data set.  
load(file = "assets/data/clinical-dataset.RData")
```

Tip

Make sure you load the data from the location where you downloaded it. If your analysis script (i.e., the .R file) and the dataset are in the same location, then you can simply load the data as follows:

```
load(file = "clinical-dataset.RData")
```

Data exploration

In this section we will explore briefly the variables in the data set.

Data structure

Now, that we have the data ready, we can start by exploring it to get a better understanding of the variable measured.

```
# Select the first participant diagnosed with MDD.  
i.ID <- unique(data$PID[data$MDD == 1])[1]  
  
# Select data from participant with person identification number `101`.  
data <- data[data$PID == 101, ]
```

Note

From now on we will work with data from participant 101 only. In other words, `data` is now a subset of the original data set, containing only the responses from participant 101.

```
# Find the dimensions.  
dim(data)
```

```
[1] 70 8
```

```
# Find the structure.  
str(data)
```

```
'data.frame': 70 obs. of 8 variables:  
 $ PID      : num  101 101 101 101 101 101 101 101 101 101 ...  
 $ day      : num   1 1 1 1 1 1 1 1 1 1 ...  
 $ daybeep  : num   1 2 3 4 5 6 7 8 9 10 ...  
 $ PA       : num  NA 27.3 49.7 43 43 ...  
 $ NA.      : num  NA 30.4 23.8 24.2 32.8 19.6 18.4 21.2 23 21.8 ...  
 $ anhedonia: num  NA 26 25 25 50 21 42 30 22 30 ...  
 $ MDD      : num   1 1 1 1 1 1 1 1 1 1 ...  
 $ QIDS     : num  12 12 12 12 12 12 12 12 12 12 ...
```

```
# See the first 6 rows.  
head(data)
```

	PID	day	daybeep	PA	NA.	anhedonia	MDD	QIDS
1	101	1	1	NA	NA	NA	1	12
2	101	1	2	27.33333	30.4	26	1	12
3	101	1	3	49.66667	23.8	25	1	12
4	101	1	4	43.00000	24.2	25	1	12
5	101	1	5	43.00000	32.8	50	1	12
6	101	1	6	18.00000	19.6	21	1	12

```
# See the last 6 rows.  
tail(data)
```

	PID	day	daybeep	PA	NA.	anhedonia	MDD	QIDS
65	101	7	5	24.33333	31.8	52	1	12
66	101	7	6	28.66667	20.6	53	1	12
67	101	7	7	23.33333	23.8	51	1	12
68	101	7	8	33.66667	36.2	46	1	12
69	101	7	9	41.66667	21.0	29	1	12
70	101	7	10	34.00000	18.4	47	1	12

```
# Find the column names.  
names(data)
```

```
[1] "PID"      "day"      "daybeep"  "PA"       "NA."      "anhedonia"  
[7] "MDD"      "QIDS"
```

```
# Summary of the data.  
summary(data)
```

```
      PID      day      daybeep      PA      NA.  
Min.   :101   Min.    :1   Min.    : 1.0   Min.    :14.67   Min.    :14.40  
1st Qu.:101   1st Qu.:2   1st Qu.: 3.0   1st Qu.:26.08   1st Qu.:21.40  
Median :101   Median :4   Median : 5.5   Median :33.33   Median :25.90  
Mean   :101   Mean    :4   Mean    : 5.5   Mean    :33.51   Mean    :29.62  
3rd Qu.:101   3rd Qu.:6   3rd Qu.: 8.0   3rd Qu.:41.67   3rd Qu.:36.25  
Max.   :101   Max.    :7   Max.    :10.0   Max.    :57.33   Max.    :65.60  
NA's   :6     NA's    :6  
  
      anhedonia      MDD      QIDS  
Min.   :14.00   Min.    :1   Min.    :12  
1st Qu.:24.75   1st Qu.:1   1st Qu.:12  
Median :41.50   Median :1   Median :12  
Mean   :39.34   Mean    :1   Mean    :12  
3rd Qu.:52.00   3rd Qu.:1   3rd Qu.:12  
Max.   :83.00   Max.    :1   Max.    :12  
NA's   :6
```

```
# Number of participants.  
length(unique(data$PID))
```

```
[1] 1
```

The data set contains the following variables:

- PID that denotes the individual identification number
- day is a variable that ranges from 1 to 7 and identifies the day of ESM testing
- daybeep is a variable that ranges from 1 to 10 and identifies the number of the prompt or beep within a day
- PA is the *Positive Affect* computed as the mean of items:
 - *How happy do you feel at the moment?*

- *How relaxed do you feel at the moment?*
- *How euphoric do you feel at the moment?*
- NA. is the *Negative Affect* computed as the mean of items:
 - *How depressed do you feel at the moment?*
 - *How stressed do you feel at the moment?*
 - *How anxious do you feel at the moment?*
 - *How angry do you feel at the moment?*
 - *How restless do you feel at the moment?*
- anhedonia corresponds to the ESM item:
 - *To what degree do you find it difficult to experience pleasure in activities at the moment?*
- MDD is a dummy variable equal to one when the individual has been diagnosed with MDD and 0 otherwise
- QIDS denotes the sum of the items of the *Quick Inventory of Depressive Symptomatology* (QIDS; Rush et al., 2003). QIDS was measured before the ESM testing period.

i Note

Time-varying variables (PA, NA, and anhedonia) have been lagged within days to account for the night breaks.

Descriptive statistics and visualizations

We first obtain some descriptive statistics including number of observations per day, and compliance.

```
# Get the number of assessment per day.
table(data$PID)
```

```
101
 70
```

```
# Compute a binary variable indicating if a participant answered a beep. We take
# the ESM item PA as reference because in this ESM design participants were not
# allowed to skip items.
data$Compliance <- ifelse(is.na(data$PA) == FALSE, 1, 0)

# Mean, median of the compliance for the participant PID=101
```

```
describe(data$Compliance)
```

```
vars  n mean  sd median trimmed mad min max range skew kurtosis  se
X1    1  70 0.91 0.28      1      1  0  0  1      1 -2.9      6.48 0.03
```

Next, we can obtain visualizations and statistics of the distribution of the person-level or time-invariant variables variables.

```
# We create a data set that will aggregate the data by the time invariant
# variables, i.e., the MDD diagnosis and QIDS depression score.
dt.person = aggregate(
  cbind(data$MDD, data$QIDS),
  by = list(data$PID),
  mean,
  na.rm = TRUE
)

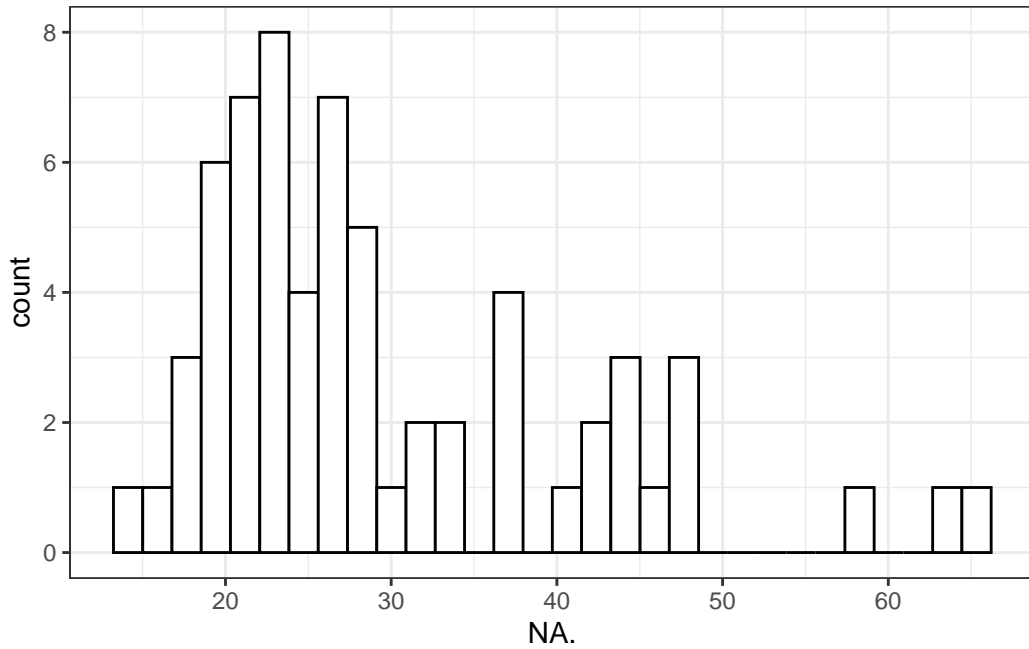
# Add column names to the aggregated data set.
colnames(dt.person) = c("Group.1", "MDD", "QIDS")

# Print the aggregated data set.
dt.person
```

```
Group.1 MDD QIDS
1      101  1   12
```

We now focus on time-varying variables NA, PA, and anhedonia and we obtain visualization and descriptive statistics

```
# Histogram for the time-varying variable negative affect (NA.).
ggplot(data, aes(NA.)) +
  geom_histogram(
    color = "black",
    fill = "white",
    bins = 30
  ) +
  theme_bw()
```



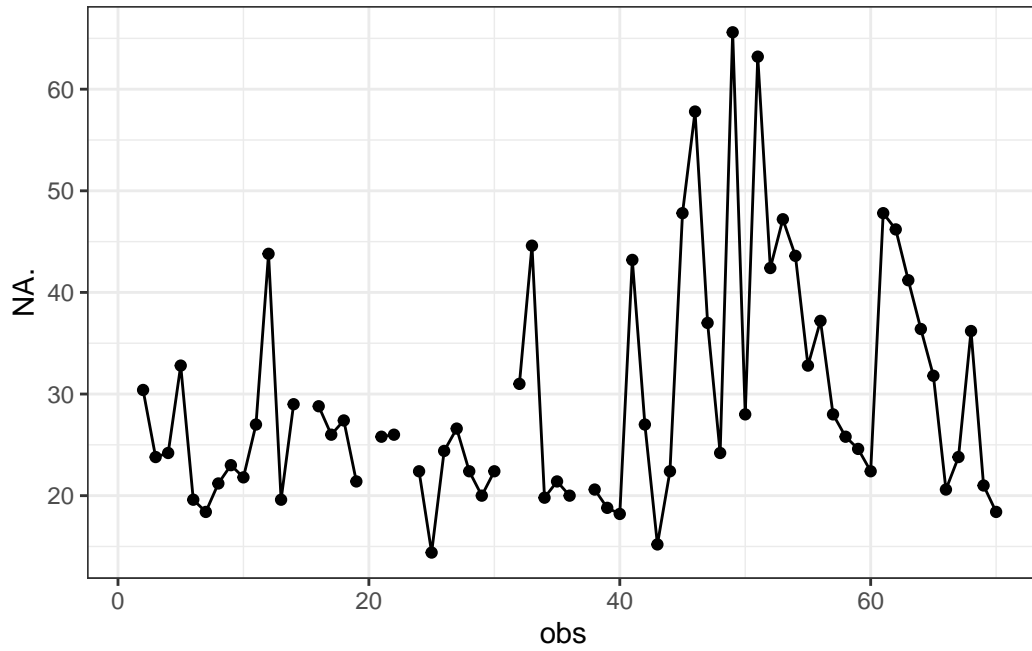
```
# Descriptive statistics for NA.
describe(data$NA.)
```

```
vars n mean sd median trimmed mad min max range skew kurtosis se
X1 1 64 29.62 11.47 25.9 28.13 7.86 14.4 65.6 51.2 1.25 1.01 1.43
```

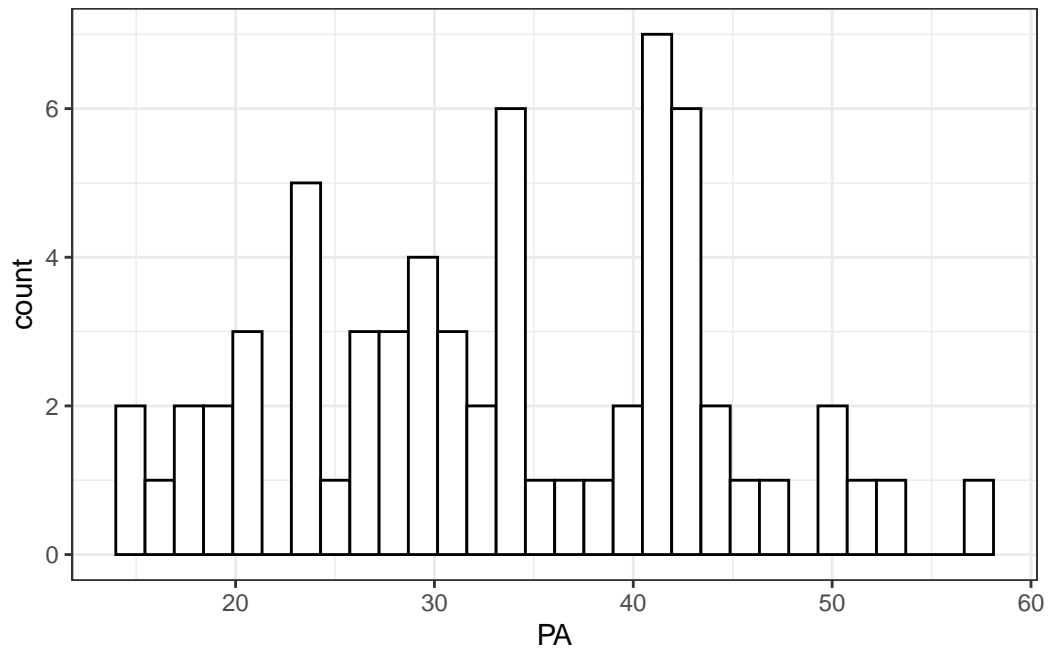
```
# Create obs order variable.
data$obs = 1:nrow(data)
```

```
# Plot the trajectories of the time-varying variable NA by person.
data %>%
```

```
  ggplot(aes(x = obs, y = NA.)) +
  geom_point() +
  geom_line() +
  theme_bw()
```

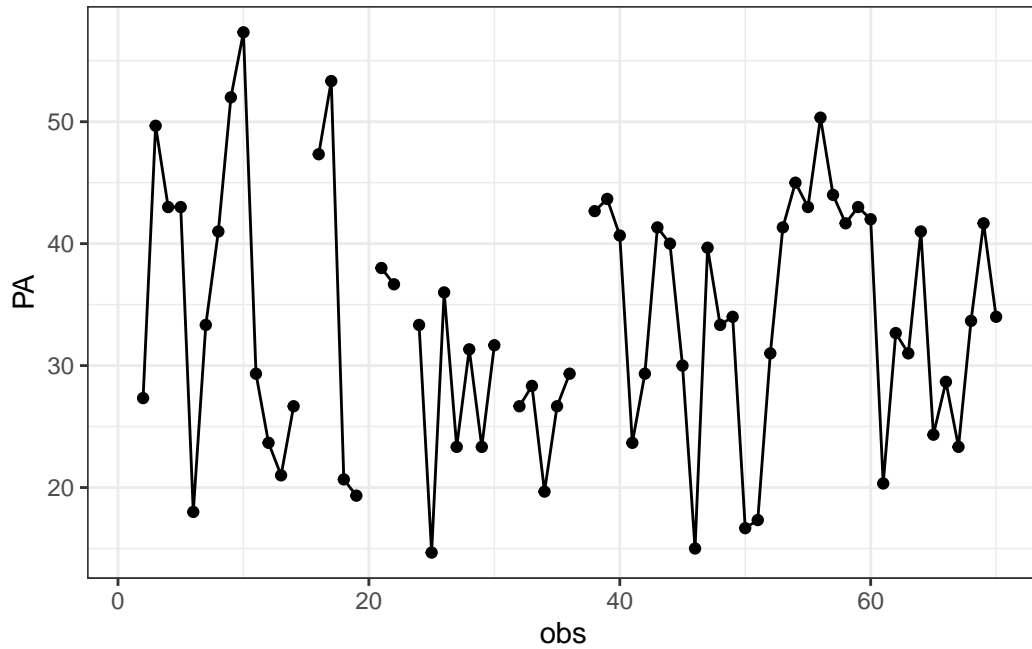
```
# Histogram for the time-varying variable negative affect (PA).  
ggplot(data, aes(PA)) +  
  geom_histogram(  
    color = "black",  
    fill = "white",  
    bins = 30  
  ) +  
  theme_bw()
```



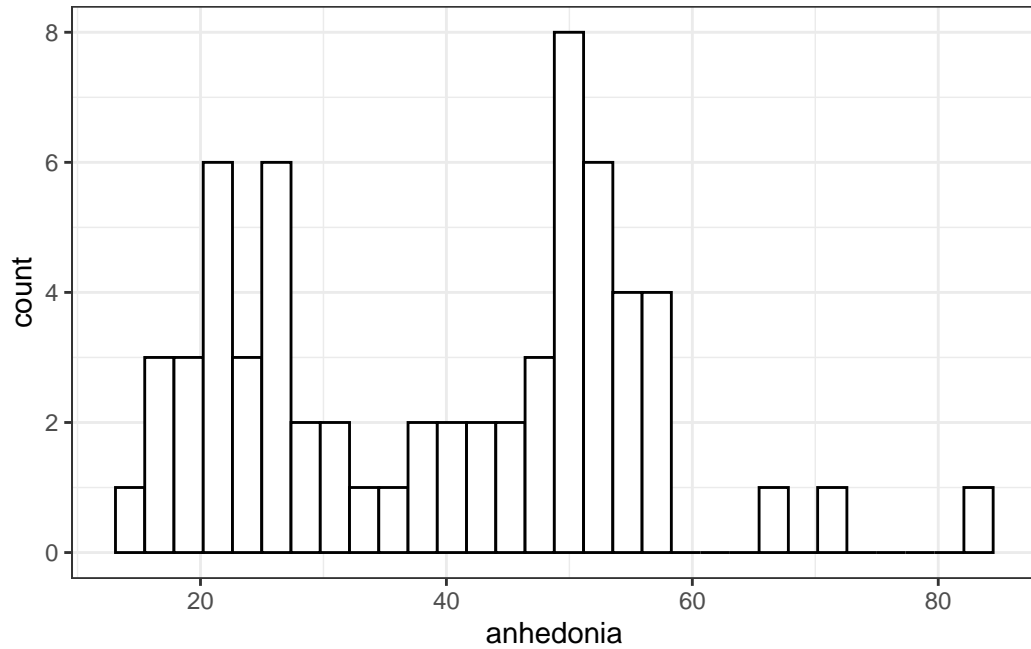
```
# Descriptive statistics for PA.
describe(data$PA)
```

```
vars n mean sd median trimmed mad min max range skew kurtosis
X1 1 64 33.51 10.32 33.33 33.33 12.35 14.67 57.33 42.67 0.09 -0.84
se
X1 1.29
```

```
# Plot the trajectories of the time-varying variable PA by person.
data %>%
  ggplot(aes(x = obs, y = PA)) +
  geom_point() +
  geom_line() +
  theme_bw()
```



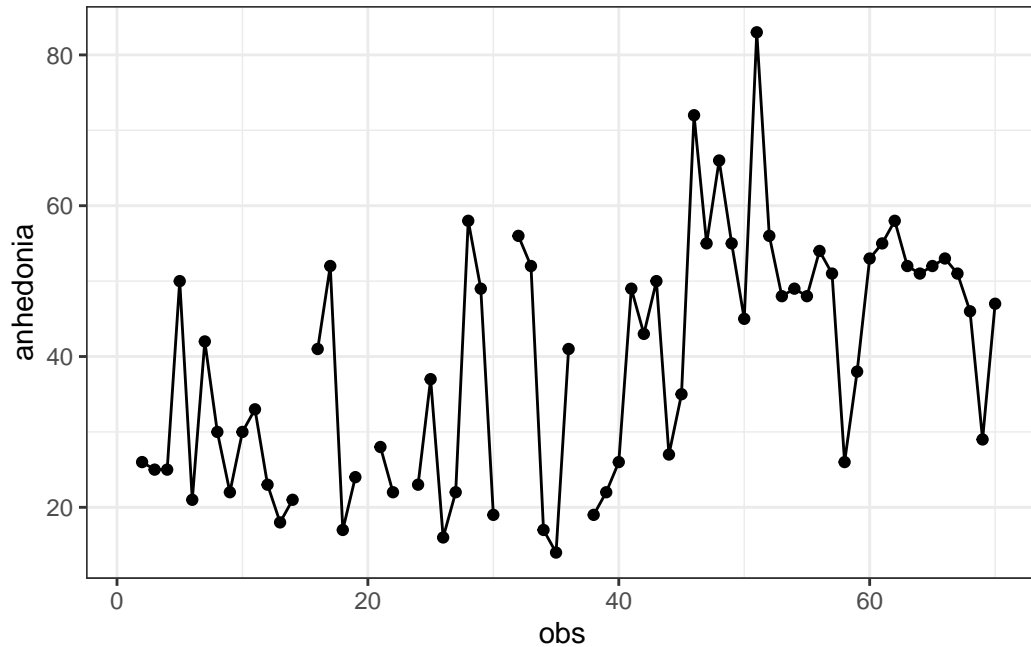
```
# Histogram for the time-varying variable anhedonia.  
ggplot(data, aes(anhedonia)) +  
  geom_histogram(  
    color = "black",  
    fill = "white",  
    bins = 30  
  ) +  
  theme_bw()
```



```
# Descriptive statistics for anhedonia.
describe(data$anhedonia)
```

```
vars n mean sd median trimmed mad min max range skew kurtosis se
X1 1 64 39.34 15.84 41.5 38.92 20.02 14 83 69 0.22 -0.77 1.98
```

```
# Plot the trajectories of the time-varying variable anhedonia by person.
data %>%
  ggplot(aes(x = obs, y = anhedonia)) +
  geom_point() +
  geom_line() +
  theme_bw()
```



Data preparation

At this point, we are almost ready to start estimating our models. The last step before doing that, is creating the lagged version of the variables PA and NA.. They will be used on the subsequent AR(1) and VAR(1) models we fit below.

```
# Create lagged variables.
# Lagged within days to take into account night breaks.
data$PA.lag <- rep(NA, nrow(data))
data$NA.lag <- rep(NA, nrow(data))
data$anhedonia.lag <- rep(NA, nrow(data))
day.id <- unique(data$day)

for (t in day.id) {
  data$PA.lag[which(data$day == t)] <- shift(data$PA[which(data$day == t)], 1)
  data$NA.lag[which(data$day == t)] <- shift(data$NA.[which(data$day == t)], 1)
  data$anhedonia.lag[which(data$day == t)] <- shift(data$anhedonia[which(data$day == t)]
}
}
```

Estimating AR(1) for PA

We estimate an AR(1) model for PA using a linear regression model (ordinary least squares, OLS). You can extract the estimates with the `summary()` function. Finally, you can compute the estimate of the standard deviation of the errors of the AR(1) model computing the standard deviation using the function `sd()` on the residuals of the fitted model.

```
# Fit AR(1) model for PA.
fit.AR.PA <- lm(PA ~ 1 + PA.lag, data = data)

# Show fit summary.
summary(fit.AR.PA)
```

Call:

```
lm(formula = PA ~ 1 + PA.lag, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-21.486	-5.866	2.070	5.820	18.155

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	20.3258	4.5755	4.442	4.68e-05 ***
PA.lag	0.4092	0.1308	3.130	0.00287 **

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 9.658 on 52 degrees of freedom

(16 observations deleted due to missingness)

Multiple R-squared: 0.1585, Adjusted R-squared: 0.1423

F-statistic: 9.796 on 1 and 52 DF, p-value: 0.002866

```
# Estimate the standard deviation of the errors.
sd(residuals(fit.AR.PA))
```

```
[1] 9.566865
```

Estimating VAR(1) for PA and NA

We estimate a VAR(1) model for PA and NA using two separate linear regression models. You can extract the estimates with the `summary()` function. Finally, you can compute the estimate

of the variance-covariance matrix of the errors of the VAR(1) model computing the covariance matrix using the function `cov()` on the residuals of each of the fitted models.

```
# Linear regression model for PA.  
fit.VAR.PA = lm(PA ~ 1 + PA.lag + NA.lag, data = data)  
  
# Linear regression model for NA.  
fit.VAR.NA = lm(NA. ~ 1 + PA.lag + NA.lag, data = data)  
  
# Show fit summary for PA.  
summary(fit.VAR.PA)
```

Call:

```
lm(formula = PA ~ 1 + PA.lag + NA.lag, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-21.551	-6.480	1.262	5.859	18.008

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	23.45530	6.27640	3.737	0.000471 ***
PA.lag	0.39213	0.13341	2.939	0.004930 **
NA.lag	-0.08273	0.11299	-0.732	0.467416

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 9.702 on 51 degrees of freedom

(16 observations deleted due to missingness)

Multiple R-squared: 0.1673, Adjusted R-squared: 0.1346

F-statistic: 5.123 on 2 and 51 DF, p-value: 0.009391

```
# Show fit summary for NA.  
summary(fit.VAR.NA)
```

Call:

```
lm(formula = NA. ~ 1 + PA.lag + NA.lag, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-14.260	-5.933	-2.073	3.104	39.302

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	17.8818	6.6337	2.696	0.00949	**
PA.lag	-0.0202	0.1410	-0.143	0.88664	
NA.lag	0.3756	0.1194	3.145	0.00277	**

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 10.25 on 51 degrees of freedom

(16 observations deleted due to missingness)

Multiple R-squared: 0.1692, Adjusted R-squared: 0.1366

F-statistic: 5.194 on 2 and 51 DF, p-value: 0.008851

```
# Estimate variance-covariance matrix of the errors.  
res = cbind(residuals(fit.VAR.PA),residuals(fit.VAR.NA))
```

```
# Print the covariance matrix.  
cov(res)
```

```
      [,1]      [,2]  
[1,] 90.572865  4.295723  
[2,]  4.295723 101.177796
```

Estimating VAR(1) model for NA, PA and anhedonia

We estimate a VAR(1) model for PA, NA and anhedonia using three separate linear regression models. You can extract the estimates with the `summary()` function. Finally, you can compute the estimate of the variance-covariance matrix of the errors of the VAR(1) model by computing the covariance matrix using the function `cov()` on the residuals of each of the fitted models.

```
# Linear regression model for PA.  
fit.VAR.PA = lm(PA ~ 1 + PA.lag + NA.lag + anhedonia.lag, data = data)  
  
# Linear regression model for NA.  
fit.VAR.NA = lm(NA. ~ 1 + PA.lag + NA.lag + anhedonia.lag, data = data)  
  
# Linear regression model for anhedonia.  
fit.VAR.anhedonia = lm(anhedonia ~ 1 + PA.lag + NA.lag + anhedonia.lag, data = data)  
  
# Show fit summary for PA.
```



```
summary(fit.VAR.PA)
```

Call:

```
lm(formula = PA ~ 1 + PA.lag + NA.lag + anhedonia.lag, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-22.374	-5.907	1.342	5.856	18.787

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	22.60373	6.50921	3.473	0.00107 **
PA.lag	0.39067	0.13436	2.908	0.00542 **
NA.lag	-0.12662	0.13926	-0.909	0.36759
anhedonia.lag	0.05564	0.10179	0.547	0.58711

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 9.769 on 50 degrees of freedom

(16 observations deleted due to missingness)

Multiple R-squared: 0.1722, Adjusted R-squared: 0.1226

F-statistic: 3.468 on 3 and 50 DF, p-value: 0.02288

```
# Show fit summary for NA.
```

```
summary(fit.VAR.NA)
```

Call:

```
lm(formula = NA. ~ 1 + PA.lag + NA.lag + anhedonia.lag, data = data)
```

Residuals:

Min	1Q	Median	3Q	Max
-14.413	-5.302	-2.096	3.864	33.201

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	14.84269	6.66252	2.228	0.0304 *
PA.lag	-0.02541	0.13752	-0.185	0.8542
NA.lag	0.21894	0.14254	1.536	0.1309
anhedonia.lag	0.19856	0.10419	1.906	0.0624 .

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 9.999 on 50 degrees of freedom
```

```
(16 observations deleted due to missingness)
```

```
Multiple R-squared:  0.2255,    Adjusted R-squared:  0.179
```

```
F-statistic: 4.852 on 3 and 50 DF,  p-value: 0.00486
```

```
# Show fit summary for anhedonia.  
summary(fit.VAR.anhedonia)
```

```
Call:
```

```
lm(formula = anhedonia ~ 1 + PA.lag + NA.lag + anhedonia.lag,  
    data = data)
```

```
Residuals:
```

```
      Min       1Q   Median       3Q      Max  
-29.750  -9.599   1.195  10.194  29.364
```

```
Coefficients:
```

```
              Estimate Std. Error t value Pr(>|t|)  
(Intercept)  14.94851    8.92402   1.675  0.1002  
PA.lag        0.04386    0.18420   0.238  0.8128  
NA.lag        0.32640    0.19093   1.710  0.0936 .  
anhedonia.lag 0.30771    0.13955   2.205  0.0321 *  
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 13.39 on 50 degrees of freedom
```

```
(16 observations deleted due to missingness)
```

```
Multiple R-squared:  0.268, Adjusted R-squared:  0.2241
```

```
F-statistic: 6.102 on 3 and 50 DF,  p-value: 0.001276
```

```
# Estimate variance-covariance matrix of the errors.  
res = cbind(residuals(fit.VAR.PA),residuals(fit.VAR.NA),residuals(fit.VAR.anhedonia))  
  
# Print the covariance matrix.  
cov(res)
```

```
      [,1]      [,2]      [,3]  
[1,] 90.034929  2.375884 16.02124
```

```
[2,] 2.375884 94.326082 37.21901
[3,] 16.021244 37.219012 169.22933
```

Running the Shiny application

The Shiny application is associated to a package that is stored at gitlab.kuleuven.be/ppw-okpiv/researchers/u0148925/shinyapp-paa_var_n1. To install the package and run the Shiny app, you can use the following R code:

```
# Install the package containing the application.
remotes::install_gitlab(
  "ppw-okpiv/researchers/u0148925/shinyapp-paa_var_n1",
  host = "https://gitlab.kuleuven.be",
  force = TRUE
)

# Import the package containing the application.
library(paavar1)

# Run the shiny app.
run_paa_var1()
```

Power analysis for VAR(1) with three variables

Exercise

Try on your own and compare your results to the ones presented below!

Power analysis result

Running the simulation with the application, you should end up with a similar plot as the one below.

Sensitivity analysis for power: varying parameters

We slightly changed the values of three coefficients to investigate how they change either the sample size recommendation or the precision of estimates:

- $\beta_{11} = .39$ to $\beta_{11} = .8$

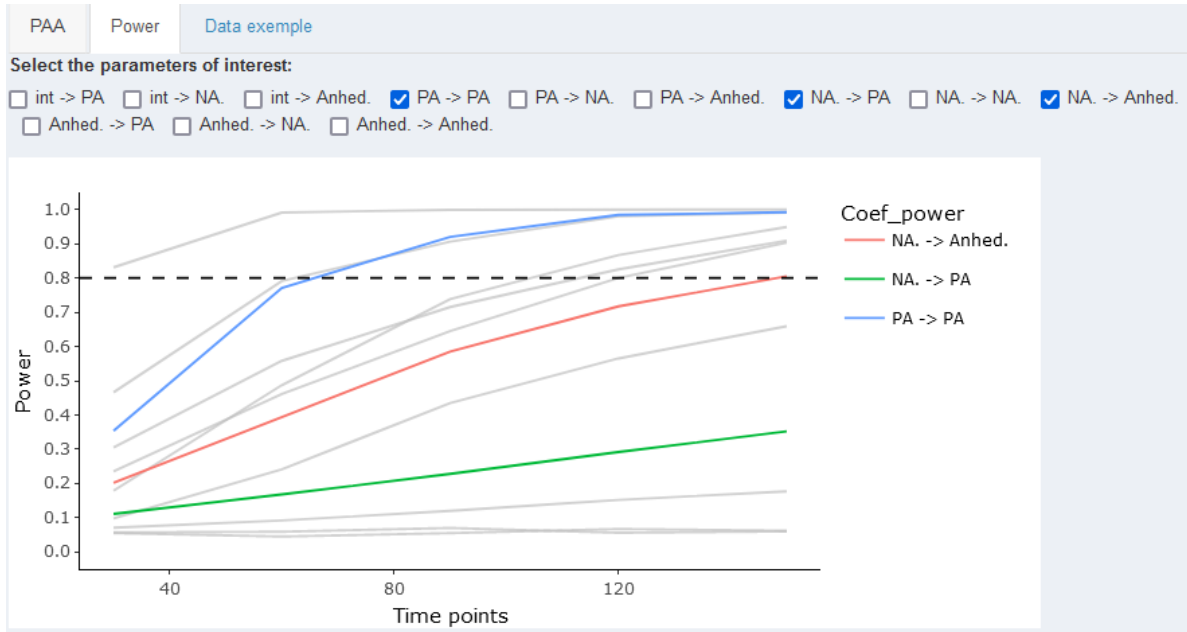


Figure 1: Power analysis VAR(1) with three variables

- $\sigma_{00} = 90$ to $\sigma_{00} = 180$
- $R = 1000$ to $R = 100$

💡 Exercise

What conclusions can you draw based on the following power curves?

Sensitivity analysis for power: using CI

Following Lafit, Revol et al. (under review), we run a sensitivity analysis using the upper and lower boundaries of the estimated coefficients of interest. First, we extract the 95% confidence interval of the estimated values of each parameter.

```
# Linear regression model for PA.
confint(fit.VAR.PA, level = 0.95)

# Linear regression model for NA.
confint(fit.VAR.NA, level = 0.95)

# Linear regression model for anhedonia.
```

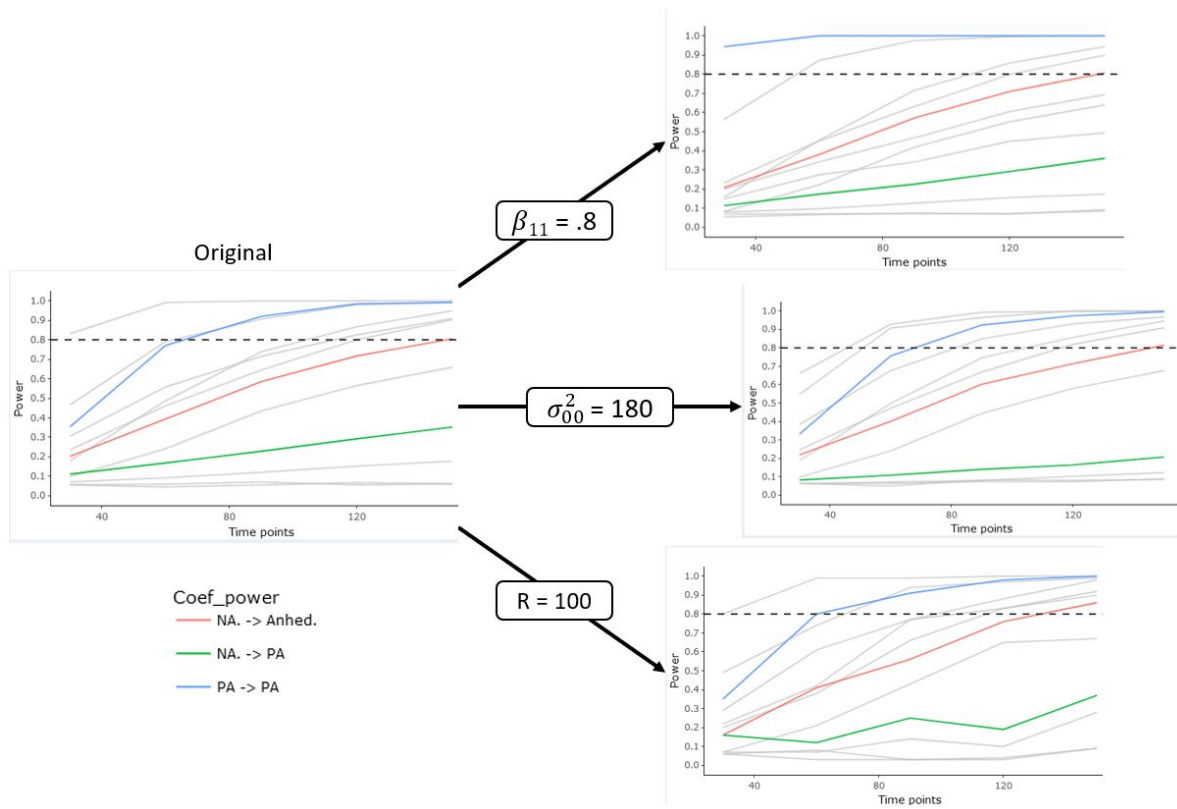


Figure 2: Sensitivity analysis for power

```
confint(fit.VAR.anhedonia, level = 0.95)
```

We only varied the parameter values for the auto-regressive effect of PA (β_{11}) following the confidence interval. We run two new power analyses. The results are displayed below.

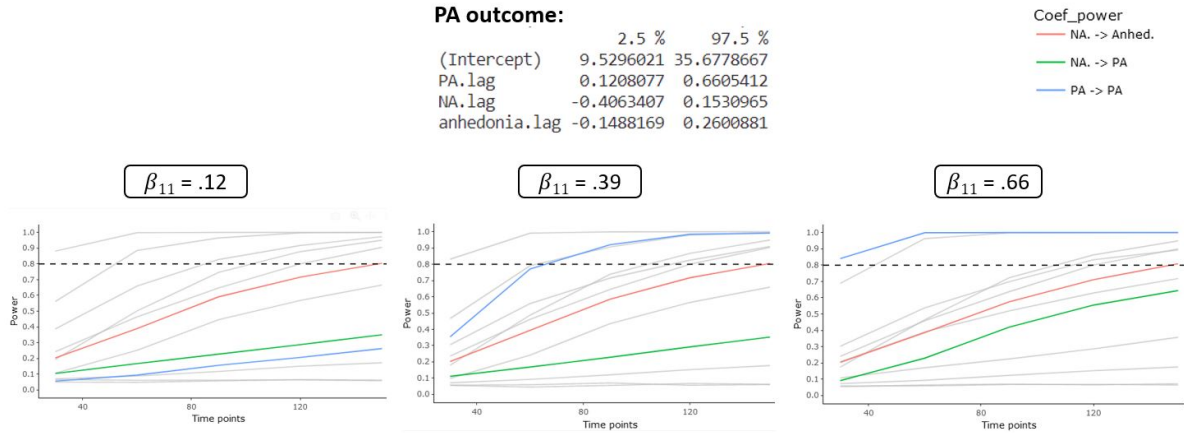


Figure 3: Sensitivity analysis for power

💡 Exercise

What conclusions can you draw based on the following power curves?

PAA for VAR(1) with three variables

💡 Exercise

Try on your own and compare your results to the ones presented below!

PAA result

Running the simulation with the application, you should end up with a similar plot as the one below.

Sensitivity analysis for power: varying parameters

We changed the values of the transition matrix to investigate how it changes the sample size recommendation.

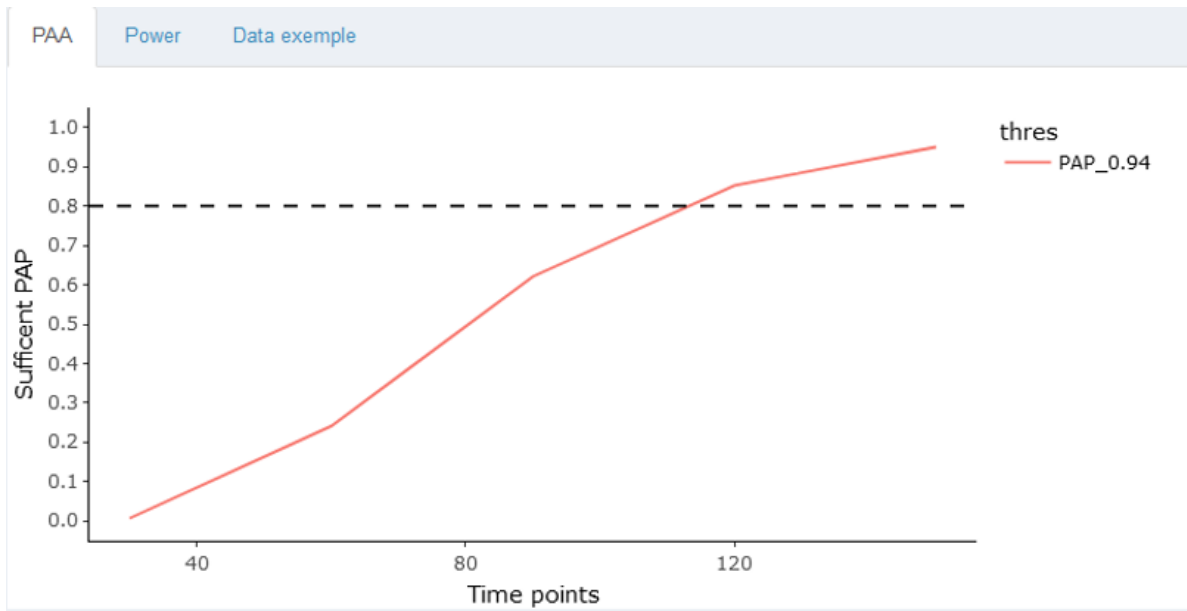


Figure 4: PAA for VAR(1) with three variables

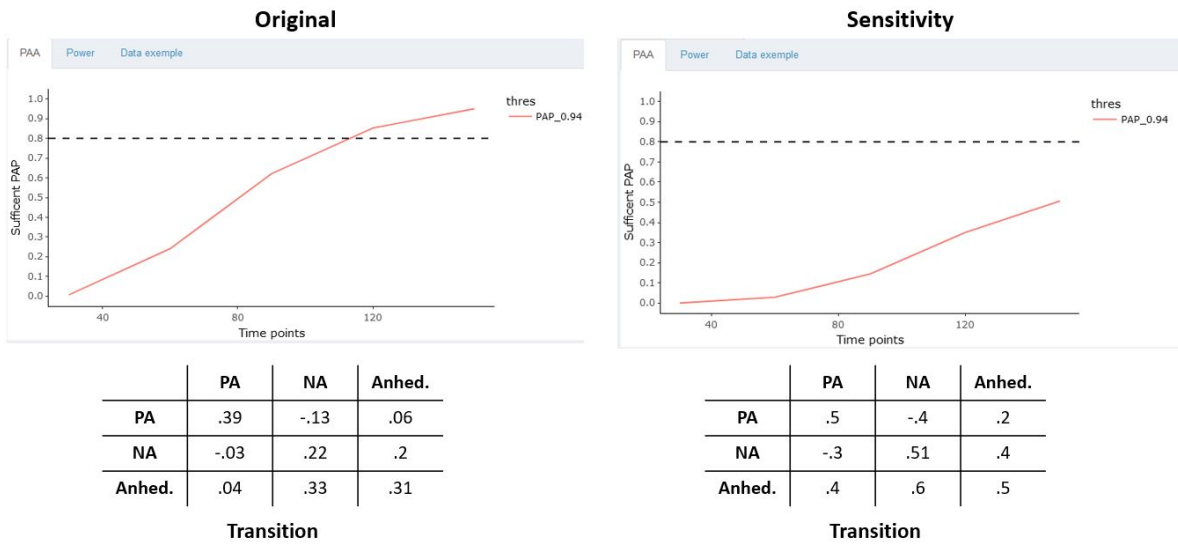


Figure 5: Sensitive PAA for VAR(1)

💡 Exercise

What conclusions can you draw based on the following power curves?

i Note

Despite the raising of the coefficients, the new transition matrix still fulfills the stationary assumption. Higher coefficients could lead to a violation of this assumption.

Session information

Using the command below, we can print the `session` information (i.e., operating system, details about the R installation, and so on) for reproducibility purposes.

```
# Session information.  
sessionInfo()
```

```
R version 4.3.0 (2023-04-21)  
Platform: aarch64-apple-darwin20 (64-bit)  
Running under: macOS Ventura 13.4  
  
Matrix products: default  
BLAS: /Library/Frameworks/R.framework/Versions/4.3-arm64/Resources/lib/libRblas.0.dylib  
LAPACK: /Library/Frameworks/R.framework/Versions/4.3-arm64/Resources/lib/libRlapack.dylib;  
  
locale:  
[1] en_US.UTF-8/en_US.UTF-8/en_US.UTF-8/C/en_US.UTF-8/en_US.UTF-8  
  
time zone: Europe/Amsterdam  
tzcode source: internal  
  
attached base packages:  
[1] stats graphics grDevices utils datasets methods base  
  
other attached packages:  
[1] MASS_7.3-58.4 lubridate_1.9.2 forcats_1.0.0 stringr_1.5.0  
[5] dplyr_1.1.2 purrr_1.0.1 readr_2.1.4 tidyr_1.3.0  
[9] tibble_3.2.1 ggplot2_3.4.2 tidyverse_2.0.0 psych_2.3.3  
[13] data.table_1.14.8  
  
loaded via a namespace (and not attached):
```


[1]	gtable_0.3.3	jsonlite_1.8.5	compiler_4.3.0	tidyselect_1.2.0
[5]	parallel_4.3.0	scales_1.2.1	yaml_2.3.7	fastmap_1.1.1
[9]	lattice_0.21-8	R6_2.5.1	labeling_0.4.2	generics_0.1.3
[13]	knitr_1.43	munsell_0.5.0	pillar_1.9.0	tzdb_0.4.0
[17]	rlang_1.1.1	utf8_1.2.3	stringi_1.7.12	xfun_0.39
[21]	timechange_0.2.0	cli_3.6.1	withr_2.5.0	magrittr_2.0.3
[25]	digest_0.6.31	grid_4.3.0	rstudioapi_0.14	hms_1.1.3
[29]	lifecycle_1.0.3	nlme_3.1-162	vctrs_0.6.2	mnormt_2.1.1
[33]	evaluate_0.21	glue_1.6.2	farver_2.1.1	fansi_1.0.4
[37]	colorspace_2.1-0	rmarkdown_2.22	tools_4.3.0	pkgconfig_2.0.3
[41]	htmltools_0.5.5			

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